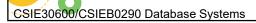
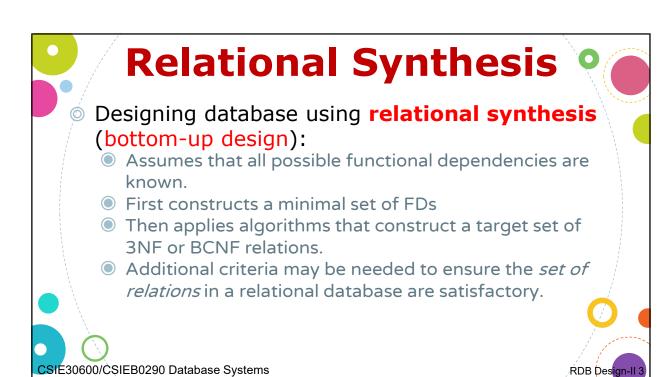
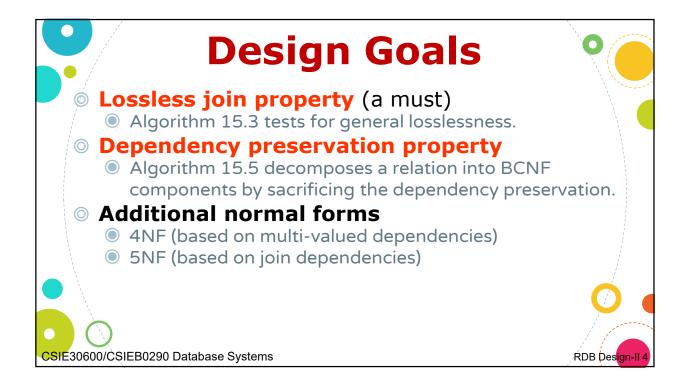


Outline

- Designing a Set of Relations
- Properties of Relational Decompositions
- Algorithms for Schema Design
- Multivalued Dependencies and Fourth Normal Form
- Join Dependencies and Fifth Normal Form
- Inclusion Dependencies
- Other Dependencies and Normal Forms







Relational Decompositions (1)

- Universal Relation Schema:
 - A relation schema R = {A1, A2, ..., An} that includes all the attributes of the database.
- Universal relation assumption:
 - Every attribute name is unique.



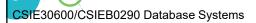
Relational Decompositions (2)

- Relational Decomposition:
 - The process of decomposing the universal relation schema R into a set of relation schemas $D = \{R_1, R_2, ..., R_m\}$ that will become the relational database schema by using the functional dependencies.
- Attribute preservation condition:
 - Each attribute in R will appear in at least one relation schema R_i in the decomposition so that no attributes are "lost". (Each attribute represents a piece of information that must be included in the final DB.)

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Relational Decompositions (3)

- Another goal of decomposition is to have each individual relation R_i in the decomposition D be in BCNF or 3NF.
- Additional properties of decomposition are needed to prevent from generating spurious tuples.



RDB Design-II 7

Dependency Preservation (1)

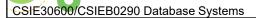
- **Definition**: Given a set of dependencies F on R, the **projection** of F on R_i, denoted by $\pi_{Ri}(F)$ where R_i is a subset of R, is the set of dependencies X \rightarrow Y in F⁺ such that the attributes in X \cup Y are all contained in R_i.
- Hence, the projection of F on each relation schema R_i is the set of functional dependencies in F+(the closure of F) such that all their left- and right-hand-side attributes are in R_i.

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Dependency Preservation (2)



- O Claim 1:
 - It is always possible to find a dependency-preserving decomposition D with respect to F such that each relation R_i in D is in 3NF.



RDB Design-II 9

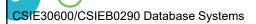
Testing for Dependency Preservation

- To check if a dependency $\alpha \rightarrow \beta$ is preserved in a decomposition of R into $R_1, R_2, ..., R_m$ we apply the following test (with attribute closure done with respect to F)
 - result = α while (changes to result) do for each R_i in the decomposition $t = (result ∩ R_i)^+ ∩ R_i$ result = result ∪ t
 - If *result* contains all attributes in β, then the functional dependency α → β is preserved.

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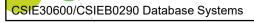
- We apply the test on all dependencies in F to check if a decomposition is dependency preserving
- This procedure takes polynomial time, instead of the exponential time required to compute F⁺ and $(F_1 \cup F_2 \cup ... \cup F_n)$ ⁺





Example

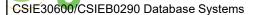
- $\bigcirc R = (A, B, C)$ $F = \{A \rightarrow B, B \rightarrow C\}$ $\text{Key} = \{A\}$
- R is not in BCNF
- \bigcirc Decomposition $R_1 = (A, B), R_2 = (B, C)$
 - \bigcirc R_1 and R_2 in BCNF
 - Dependency preserving
 - Lossless-join decomposition (next slide)





Lossless (Non-additive) Join

- Definition: Lossless join property: a decomposition D = {R₁, R₂, ..., R_m} of R has the lossless (nonadditive) join property with respect to the set of dependencies F on R if, for every relation state r of R that satisfies F, the following holds, where * is the natural join of all the relations in D:
 - * $(\pi_{R1}(r), ..., \pi_{Rm}(r)) = r$
- Note: The word loss in lossless refers to loss of information, not to loss of tuples. In fact, for "loss of information" a better term is "addition of spurious information"



RDB Design-II 13

Testing Lossless Join (1)

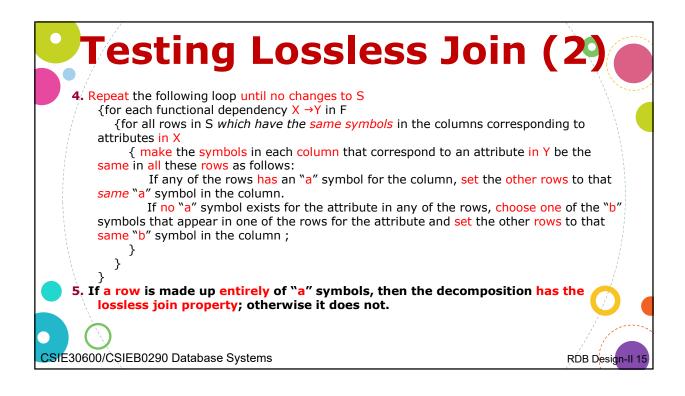
- Algorithm 15.3: Testing for Lossless Join Property
 - Input: A universal relation R, a decomposition D = $\{R_1, R_2, ..., R_m\}$ of R, and a set F of functional dependencies.
 - 1. Create an initial matrix S with one row i for each relation R_i in D, and one column j for each attribute A_i in R.
 - 2. Set $S(i, j) := b_{ij}$ for all matrix entries. (* each b_{ij} is a distinct symbol associated with indices (i, j) *).
- 3. For each row i representing relation schema R_i

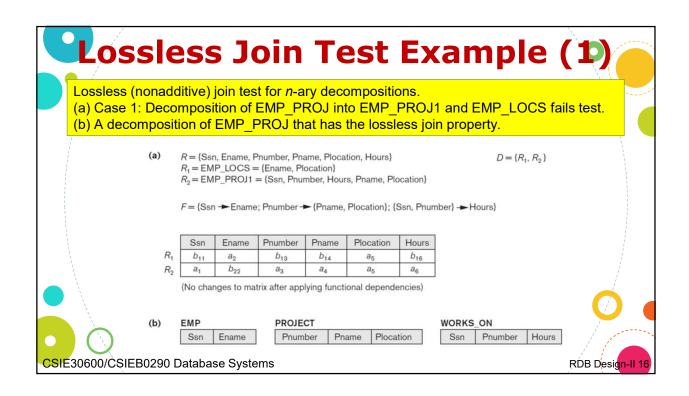
{for each column j representing attribute A_j

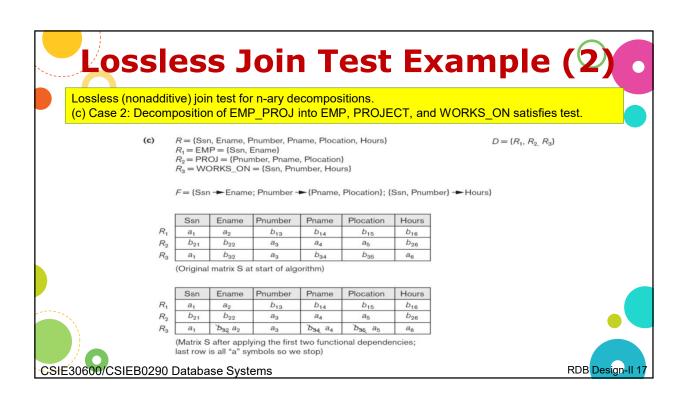
{if (relation R_i includes attribute A_i) then

set $S(i, j) := a_j$; } {* each a_j is a distinct symbol associated with index (j) *)

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Testing Lossless Join on Binary Decomposition

- Testing binary decompositions for lossless join property
 - Binary decomposition: Decomposition of a relation R into two relations.
 - PROPERTY LJ1 (lossless join test for binary decompositions): A decomposition D = {R1, R2} of R has the lossless join property with respect to a set of functional dependencies F on R if and only if either
 - The FD ((R1 \cap R2) \rightarrow (R1 R2)) is in F⁺, or
 - The FD ((R1 ∩ R2) → (R2 R1)) is in F⁺.

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- \bigcirc R = (A, B, C) $F = \{A \rightarrow B, B \rightarrow C\}$
 - Can be decomposed in two different ways
- \bigcirc $R_1 = (A, B), R_2 = (B, C)$
 - Lossless-join decomposition: $R_1 \cap R_2 = \{B\}$ and $B \to C \quad (R_2 R_1)$
 - Dependency preserving
- \bigcirc $R_1 = (A, B), R_2 = (A, C)$
 - Lossless-join decomposition:

$$R_1 \cap R_2 = \{A\} \text{ and } A \rightarrow B \quad (R_1 - R_2)$$

- Not dependency preserving
 - (cannot check $B \rightarrow C$ w/o computing $R_1 \bowtie R_2$)

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RDB Design-II 19

Successive Lossless Join

Successive Lossless Join Decomposition:

- Claim 2 (Preservation of non-additivity in successive decompositions):
 - If a decomposition $D = \{R_1, R_2, ..., R_m\}$ of R has the lossless (non-additive) join property with respect to a set of functional dependencies F on R,
 - and if a decomposition $D_i = \{Q_1, Q_2, ..., Q_k\}$ of R_i has the lossless (non-additive) join property with respect to the projection of F on R_i ,
 - then the decomposition D2 = $\{R_1, R_2, ..., R_{i-1}, Q_1, Q_2, ..., Q_k, R_{i+1}, ..., R_m\}$ of R has the non-additive join property with respect to F.

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Algorithms for RDB Design – (Finding Minimal Cover





- 2. Replace each FD $X \rightarrow \{A1, A2, ..., An\}$ in F by $X \rightarrow A1, X \rightarrow A2, ..., X \rightarrow An$ (* so that all RHS has only one attribute *)
- 3. For each $X\rightarrow A$ in F (* remove extraneous attributes in LHS *) For each attribute $B\in X$

if
$$\{F - \{X \rightarrow A\}\} \cup \{(X - \{B\}) \rightarrow A\} \equiv F$$

replace $X \rightarrow A$ with $(X - \{B\}) \rightarrow A$ in F

4. For each X→A in F (* remove extraneous FD *) if F - {X→A} is equivalent to F remove X→A from F



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RDB Design-II 2

Minimal Cover Example

- \bigcirc R = (A, B, C) $F = \{ A \rightarrow BC, B \rightarrow C, A \rightarrow B, AB \rightarrow C \}$
- ○ Replace $A \rightarrow BC$ by $A \rightarrow B$ and $A \rightarrow C$

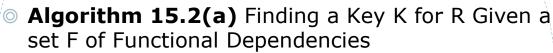
 ○ Set is now $\{A \rightarrow B, A \rightarrow C, B \rightarrow C, AB \rightarrow C\}$
- \bigcirc A is extraneous in AB → C

 \bigcirc Set is now $\{A \rightarrow B, A \rightarrow C, B \rightarrow C\}$
- $A \rightarrow C$ is extraneous since it can be inferred from A
 → B and B → C
- \bigcirc The minimal cover is: $\{A \rightarrow B, B \rightarrow C\}$

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Algorithms for RDB Design Key Determination



Input: A universal relation R and a set of FDs F

```
1. Set K := R;
```

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Relational Synthesis into 3NF

- Algorithm 15.4: Relational Synthesis into 3NF with Dependency Preservation and Lossless (Non-Additive) Join Property
 Input: A universal relation R and a set of FDs F
- 1. Find a minimal cover G for F (Algorithm 15.2)
- 2. For each LHS X of a FD in G, create a schema in D with attributes $\{X \cup \{A_1\} \cup \{A_2\} ... \cup \{A_k\}\}$, where $X \to A_1$, $X \to A_2$, ..., $X \to A_k$ are the only dependencies in G with X as LHS (X is the key of this relation).
- 3. If none of the relation schemas in D contains a key of R, then create one more relation schema in D that contains attributes that form a key of R. (Use Algorithm 15.2(a) to find the key of R)
- 4. Eliminate redundant relations (subsumed by others)
- Claim 3: Every relation schema created by Algorithm 15.4 is in 3NF.

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Relational Decomposition into BCNF

Algorithm 15.5: Relational Decomposition into BCNF with Lossless (non-additive) join property

- Input: A universal relation R and a set of FDs FSet D := {R};
- 2. While (there is a schema Q in D that is not in BCNF) do { choose a schema Q in D that is not in BCNF; find a FD X → Y in Q that violates BCNF; replace Q in D by two schemas (Q Y) and (X ∪ Y); };

Assumption: No null values are allowed for the join attributes.

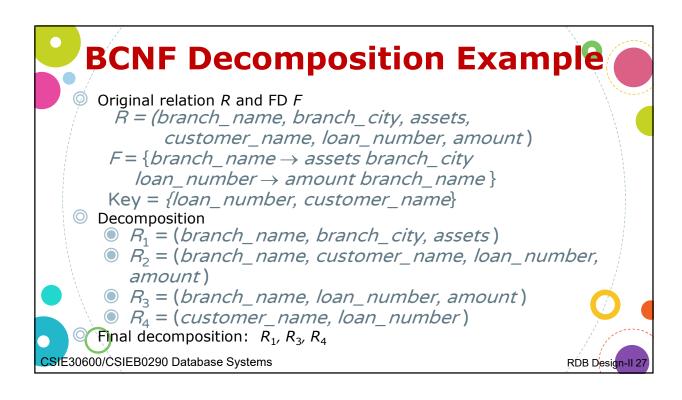
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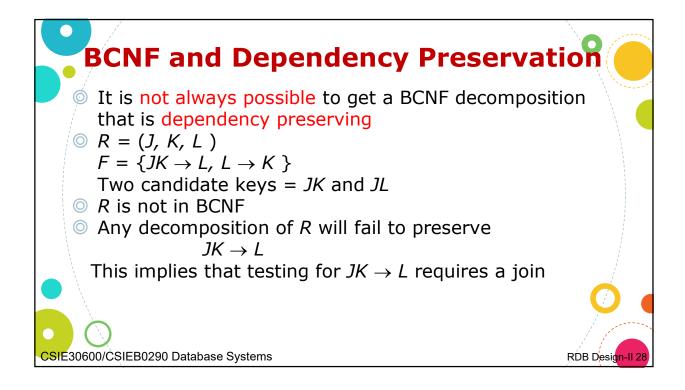
RDB Design-II 25

BCNF Decomposition Example

- \bigcirc R = (A, B, C) $F = \{A \rightarrow B, B \rightarrow C\}$ $Key = \{A\}$
- \bigcirc R is not in BCNF ($B \rightarrow C$ but B is not a superkey)
- Decomposition
 - $R_1 = (B, C)$

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Example



- Relation schema:
 - cust_banker_branch = (customer_id, employee_id, branch_name, type)
- The functional dependencies for this relation schema are: customer_id, employee_id → branch_name, type employee_id → branch_name
- The **for** loop generates: (customer_id, employee_id, branch_name, type) It then generates (employee_id, branch_name)
 - but does not include it in the decomposition because it is a subset of the first schema.

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RDB Design-II 29

Comparison of BCNF and 3NF Decomposition

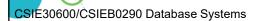
- It is always possible to decompose a relation into a set of relations that are in 3NF st:
 - the decomposition is lossless
 - the dependencies are preserved
- It is always possible to decompose a relation into a set of relations that are in BCNF st:
 - the decomposition is lossless
 - it may not be possible to preserve dependencies.

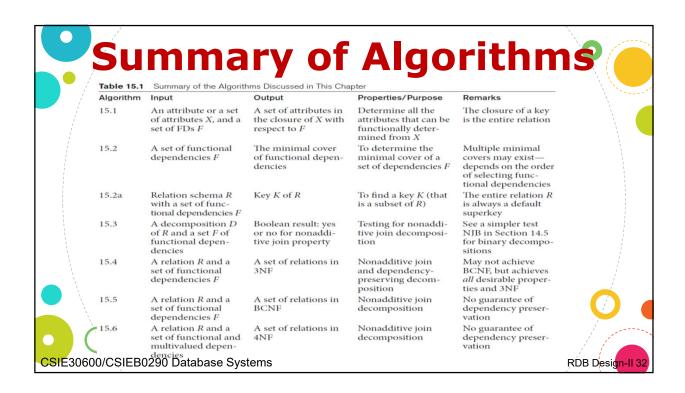
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Discussion of Normalization Algorithms

Problems:

- The database designer must first specify all the relevant functional dependencies among the database attributes.
- These algorithms are not deterministic in general.
- It is not always possible to find a decomposition into relation schemas that preserves dependencies and allows each relation schema in the decomposition to be in BCNF (instead of 3NF as in Algorithm 15.4).





Design Goals



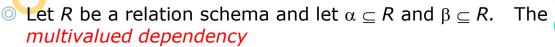
Goals for a relational database design is:

- BCNF.
- Lossless join.
- Dependency preservation.
- If we cannot achieve all, we accept one of
 - Lack of dependency preservation
 - Redundancy due to use of 3NF
- Interestingly, SQL does not provide a direct way of specifying functional dependencies other than superkeys. (Can specify FDs using assertions, but they are expensive to test)
- Even if we had a dependency preserving decomposition, using SQL we would not be able to efficiently test a functional dependency whose left hand side is not a key.



RDB Design-II 33

Multivalued Dependencies (MVDs)

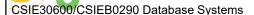


$$\alpha \rightarrow \rightarrow \beta$$

holds on R if in any legal relation r(R), for all pairs for tuples t_1 and t_2 in r such that $t_1[\alpha] = t_2[\alpha]$, there exist tuples t_3 and t_4 in r s.t.:

$$t_1[\alpha] = t_2[\alpha] = t_3[\alpha] = t_4[\alpha]$$

 $t_3[\beta] = t_1[\beta]$ $t_3[R-\beta] = t_2[R-\beta]$
 $t_4[\beta] = t_2[\beta]$ $t_4[R-\beta] = t_1[R-\beta]$



MVD (Cont.)

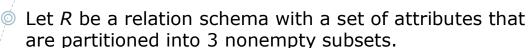


	α	β	$R-\alpha-\beta$
t_1	$a_1 \dots a_i$	$a_{i+1} \dots a_j$	$a_{j+1} \dots a_n$
t_2	$a_1 \dots a_i$	$b_{i+1} \dots b_j$	$b_{j+1} \dots b_n$
t_3	$a_1 \dots a_i$	$a_{i+1} \dots a_{j}$	$b_{j+1} \dots b_n$
			$a_{j+1} \dots a_n$

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RDB Design-II 35

Another View of MVD



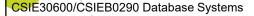
We say that $Y \longrightarrow Z$ (Y multidetermines Z) if and only if for all possible relations r (R)

$$< y_1, z_1, w_1 > \in r \text{ and } < y_1, z_2, w_2 > \in r$$

then

$$< y_1, z_1, w_2 > \in r \text{ and } < y_1, z_2, w_1 > \in r$$

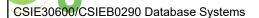
Note that since the behavior of Z and W are identical it follows that $Y \rightarrow Z$ if $Y \rightarrow W$



Example



- The above formal definition is supposed to formalize the notion that given a particular value of Y (course) it has associated with it a set of values of Z (teacher) and a set of values of W (book), and these two sets are in some sense independent of each other. (next slide)
- \bigcirc Note: If $Y \rightarrow Z$ then $Y \rightarrow Z$
 - Indeed we have (in above notation) $Z_1 = Z_2$ The claim follows.



	Example of MVD			0
	course	teacher	book	
t3 t1 t2 t4	database database	Avi Pete	DB Concepts Ullman DB Concepts Ullman DB Concepts Ullman OS Concepts Stallings OS Concepts Stallings	
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Use of MVD

- We use MVDs in two ways:
 - 1. To test relations to determine whether they are legal under a given set of functional and multivalued dependencies
 - **2.** To specify constraints on the set of legal relations. We shall thus concern ourselves *only* with relations that satisfy a given set of functional and multivalued dependencies.
- \bigcirc If a relation r fails to satisfy a given multivalued dependency, we can construct a relations r' that does satisfy the multivalued dependency by adding tuples to r.

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RDB Design-II 39

Theory of MVD

From the definition of multivalued dependency, we can derive the following rule:

 \bigcirc If $\alpha \to \beta$, then $\alpha \to \beta$

That is, every functional dependency is also a multivalued dependency

- \odot The **closure** D⁺ of *D* is the set of all functional and multivalued dependencies implied by *D*.
 - We can compute D⁺ from D, using the formal definitions of functional dependencies and multivalued dependencies.
 - We can manage with such reasoning for very simple MVDs, which seem to be most common in practice
 - For complex dependencies, it is better to reason about sets of dependencies using a system of inference rules.

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Inference Rules for FDs and MVDs



- The following set of rules is sound and complete.
- For FDs:

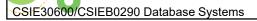
$$\{X \supseteq Y\} \mid = X \to Y$$

IR2 (Augmentation rule):

$$\{X \rightarrow Y\} \mid = XZ \rightarrow Y Z$$

IR3 (Transitive rule):

$$\{X \rightarrow Y, Y \rightarrow Z\} \mid = X \rightarrow Z$$



RDB Design-II 4

Inference Rules for MVDs

```
IR4 (Complementation rule):
```

$$\{X \to \to Y\} \mid = \{X \to \to (R - (X \cup Y))\}$$

IR5 (Multivalued augmentation rule):

IR6 (Multivalued transitive rule):

$$\{X \rightarrow \rightarrow Y, Y \rightarrow \rightarrow Z\} \mid = X \rightarrow \rightarrow (Z - Y)$$

IR7 (Replication rule):

$$\{X \rightarrow Y\} \mid = X \rightarrow Y$$

IR8 (Coalescence rule):

if $X \rightarrow \rightarrow Y$ and $\exists W$ such that $W \cap Y = \emptyset$ and $W \rightarrow Z$ and $Y \supset Z$, then $X \rightarrow Z$

Note that an FD is a special case of MVD.

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Fourth Normal Form (4NF)

- A relation schema R is in **4NF** with respect to a set D of functional and multivalued dependencies if for all multivalued dependencies in D^+ of the form $\alpha \to \beta$, where $\alpha \subseteq R$ and $\beta \subseteq R$, at least one of the following hold:
- If a relation is in 4NF it is in BCNF (Proof: Exercise)



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(a) The EMP relation with two MVDs: ENAME —>> PNAME and ENAME —>> DNAME. (b) Decomposing the EMP relation into two 4NF relations EMP_PROJECTS and EMP_DEPENDENTS.

(a) EMP

Ename	Pname	Dname
Smith	×	John
Smith	Y	Anna
Smith	×	Anna
Smith	Y	John
Brown	W	Jim
Brown	×	Jim
Brown	Y	Jim
Brown	Z	Jim
Brown	W	Joan
Brown	×	Joan
Brown	Y	Joan
Brown	Z	Joan
Brown	W	Bob
Brown	×	Bob
Brown	Y	Bob
Brown	Z	Bob

(b) EMP_PROJECTS

Ename	Pname	
Smith	×	
Smith	Y	
Brown	W	
Brown	×	
Brown	Y	
Brown	Z	

EMP DEPENDENTS

EMP_DEPENDENTS		
Ename	Dname	
Smith	Anna	
Smith	John	
Brown	Jim	
Brown	Joan	
Brown	Bob	

RDB Design - II 44

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Restriction of Multivalued Dependencies

- The restriction of D to R_i is the set D_i consisting of
 - All functional dependencies in D⁺ that include only attributes of R_i
 - All multivalued dependencies of the form $\alpha \rightarrow (\beta \cap R_i)$

```
where \alpha \subseteq R_i and \alpha \rightarrow \beta is in D<sup>+</sup>
```

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RDB Design-II 45

```
4NF Decomposition Algorithm
```

```
result: = \{R\};

done := false;

compute D^+;

Let D_i denote the restriction of D^+ to R_i

while (not done)

if (there is a schema R_i in result that is not in 4NF) then

begin

let \alpha \rightarrow \beta be a nontrivial MVD that holds on R_i s.t.

\alpha \rightarrow R_i is not in D_i, and \alpha \cap \beta = \phi;

result := (result - R_i) \cup (R_i - \beta) \cup (\alpha, \beta);

end

else done: = true;

(Note: each R_i is in 4NF, and decomposition is lossless-join)
```



Lossless Join Decomposition into 4NF Relations

- The relation schemas R_1 and R_2 form a lossless (nonadditive) join decomposition of R with respect to a set F of functional and multivalued dependencies if and only if
- or by symmetry, if and only if
 - \bigcirc $(R_1 \cap R_2) \rightarrow (R_2 R_1)$
- Proof: Exercise.



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Checking for Lossless Join Decomposition

- \bigcirc **Theorem**: R₁ and R₂ is a lossless join decomposition of R if and only if
 - \blacksquare R₁ \cap R₂ $\rightarrow \rightarrow$ R₁, or
 - \bigcirc R₁ \cap R₂ $\rightarrow \rightarrow$ R₂
- **Proof**: Exercise.



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Decomposition into 4NF relations with lossless join property

- Algorithm 15.7: Input: A universal relation R and a set of functional and multivalued dependencies F.
- 1. Set D := { R };
- 2. While there is a relation schema Q in D that is not in 4NF do {

choose a relation schema Q in D that is not in 4NF; find a nontrivial MVD $X \rightarrow Y$ in Q that violates 4NF; replace Q in D by two relation schemas (Q - Y) and (X \cup Y);

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};

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Example

 \bigcirc R = (A, B, C, G, H, I)

$$F = \{ A \rightarrow \rightarrow B, B \rightarrow \rightarrow HI, CG \rightarrow \rightarrow H \}$$

- \bigcirc R is not in 4NF since $A \rightarrow B$ and A is not a superkey for R
- O Decomposition

a)
$$R_1 = (A, B)$$

 $(R_1 \text{ is in 4NF})$

b)
$$R_2 = (A, C, G, H, I)$$

 $(R_2 \text{ is not in 4NF})$

c)
$$R_3 = (C, G, H)$$

 $(R_3 \text{ is in 4NF})$

d)
$$R_4 = (A, C, G, I)$$
 (R_4 is not in 4NF)

○ Since
$$A \rightarrow B$$
 and $B \rightarrow HI$, $A \rightarrow HI$, $A \rightarrow I$

e)
$$R_5 = (A, I)$$

 $(R_5 \text{ is in 4NF})$

f)
$$R_6 = (A, C, G)$$

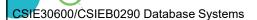
 $(R_6 \text{ is in 4NF})$

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Another Example

- \bigcirc R = (course, teacher, book)

 course $\rightarrow \rightarrow$ teacher course $\rightarrow \rightarrow$ book
 - R is not in 4NF
- R can be decomposed into
 - R1 = (course, teacher)
 - R2 = (course, book)
 - Both R1 and R2 are now in 4NF.





Join Dependency (JD)

- \bigcirc A **join dependency** (**JD**), denoted by $JD(R_1, R_2, ..., R_n)$, specified on relation schema R, specifies a constraint on the states r of R.
 - The constraint states that every legal state r of R should have a non-additive join decomposition into $R_1, R_2, ..., R_n$; that is, for every such r we have $* (\pi_{P_1}(r), \pi_{P_2}(r), ..., \pi_{P_n}(r)) = r$

Note: an MVD is a special case of a JD where n = 2.

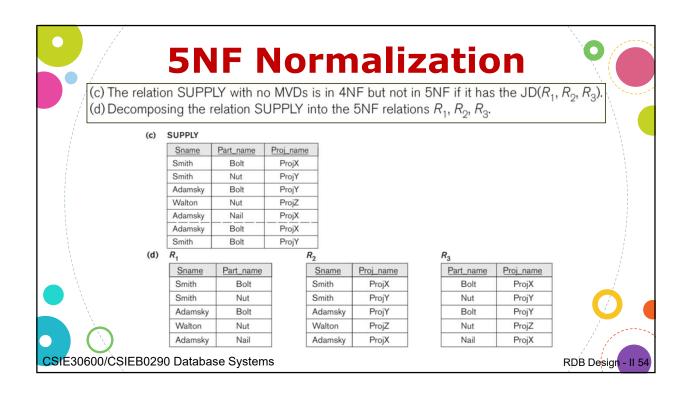
O A join dependency $JD(R_1, R_2, ..., R_n)$, specified on relation schema R, is a **trivial JD** if one of the relation schemas R_1 in $JD(R_1, R_2, ..., R_n)$ is equal to R.

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JD and Fifth Normal Form

- A relation schema R is in fifth normal form (5NF)(or Project-Join Normal Form (PJNF)) with respect to a set F of functional, multivalued, and join dependencies if,
 - for every nontrivial join dependency $JD(R_1, R_2, ..., R_n)$ in F^+ (that is, implied by F), every R_i is a superkey of R.





Inclusion Dependencies (19)



An **inclusion dependency** R.X < S.Y between two sets of attributes(X of relation schema R, and Y of relation schema S)specifies the constraint that, at any specific time when r is a relation state of R and s a relation state of S, we must have

 $\pi_{\vee}(\mathsf{r}(\mathsf{R})) \supseteq \pi_{\vee}(\mathsf{s}(\mathsf{S}))$

Note:

- The
 (subset) relationship does not necessarily have to be a proper subset.
- sets of attributes on which the inclusion dependency is specified—X of R and Y of S—must have the same number of attributes.
- In addition, the domains for each pair of corresponding attributes should be compatible.

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RDB Design - II 55

Inclusion Dependencies (2)

- Objective of Inclusion Dependencies:
 - To formalize two types of interrelational constraints which cannot be expressed using FDs or MVDs:
 - Referential integrity constraints
 - Class/subclass relationships
- Inclusion dependency inference rules
 - IDIR1 (reflexivity): R.X < R.X.</p>
 - IDIR2 (attribute correspondence): If R.X < S.Y.</p>
 - \circ where $X = \{A1, A2, ..., An\}$ and $Y = \{B1,$ B2, ..., Bn} and Ai corresponds to Bi, then R.Ai < S.Bi for 1≤ i ≤n.
 - \odot IDIR3 (transitivity): If R.X < S.Y and S.Y < T.Z, then R.X < T.Z

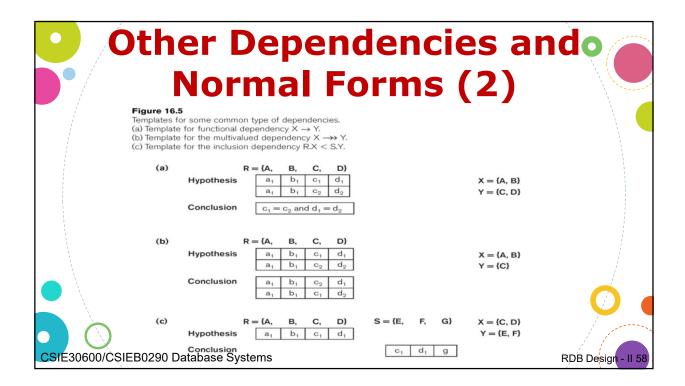
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Other Dependencies and Normal Forms (1)

Template Dependencies:

- Template dependencies provide a technique for representing constraints in relations that typically have no easy and formal definitions.
- The idea is to specify a template—or example—that defines each constraint or dependency.
- There are two types of templates:
 - tuple-generating templates
 - constraint-generating templates.
- A template consists of a number of hypothesis tuples that are meant to show an example of the tuples that may appear in one or more relations. The other part of the template is the template conclusion.

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EMPLOYEE = {Name, Ssn, ..., Salary, Supervisor_ssn}

Hypothesis Conclusion

be less than the supervisor's salary.

a	b	С	d
е	d	f	g
		c < f	

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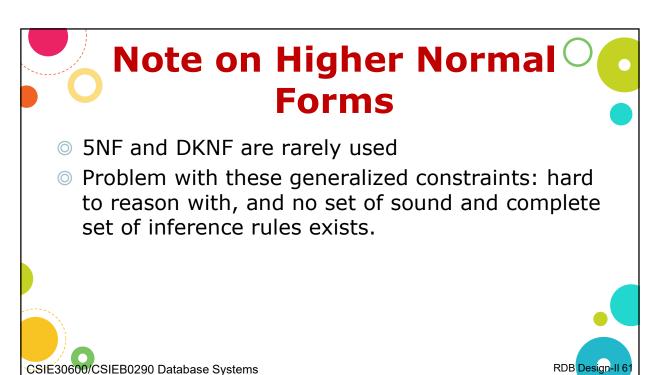
RDB Design - II 59

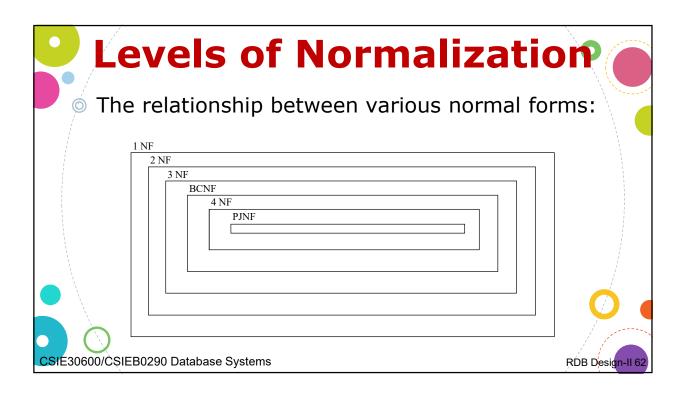
Domain-Key Normal Form(DKNF)

- Definition: A relation schema is said to be in DKNF if all constraints and dependencies that should hold on the valid relation states can be enforced simply by enforcing the domain constraints and key constraints on the relation.
- The idea is to specify (theoretically, at least) the "ultimate normal form" that takes into account all possible types of dependencies and constraints.
- For a relation in DKNF, it becomes very straightforward to enforce all database constraints by simply checking that each attribute value in a tuple is of the appropriate domain and that every key constraint is enforced.

The practical utility of DKNF is limited.

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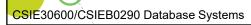




Overall Database Design Process



- R could have been generated when converting ERdiagram to a set of tables.
- R could have been a single relation containing all attributes that are of interest (called universal relation).
- Normalization breaks R into smaller relations.
- R could have been the result of some ad hoc design of relations, which we then test/convert to normal form.



RDB Design-II 63

ER Model and Normalization

- When an ER diagram is carefully designed, identifying all entities correctly, the tables generated from the ER diagram should not need further normalization.
- However, in a real (imperfect) design, there can be FDs from non-key attributes of an entity to other attributes of the entity
 - Example: an *employee* entity with attributes *department_number* and *department_address*, and a functional dependency *department_number* → *department_address*
 - Good design would have made department an entity
- Functional dependencies from non-key attributes of a relationship set possible, but rare --- most relationships are binary

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Denormalization for Performance



- Eg, displaying customer_name along with account_number and balance requires join of account with depositor
- Alternative 1: Use denormalized relation containing all above attributes
 - faster lookup
 - extra space and extra execution time for updates
 - extra coding work and possibility of error in extra code
- Alternative 2: use a materialized view defined as account \(\mathbb{M} \) depositor
 - Benefits and drawbacks same as above, except no extra coding work for programmer and avoids possible erro

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Other Design Issues

- Some aspects of database design are not caught by normalization
- Examples of bad database design, to be avoided: Instead of earnings(company_id, year, amount), use
 - earnings_2013, earnings_2014, earnings_2015, etc., all on the schema (company_id, earnings).
- Above are in BCNF, but make querying across years difficult and needs new table each year

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Other Design Issues (cont.)



- company_year(company_id, earnings_2013, earnings_2014, earnings_2015)
 - Also in BCNF, but also makes querying across years difficult and requires new attribute each year.
 - Is an example of a crosstab, where values for one attribute become column names
 - Used in spreadsheets, and in data analysis tools



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RDB Design-II 67

Recap



- Designing a Set of Relations
- Properties of Relational Decompositions
- Algorithms for Relational Database Schema
- Multivalued Dependencies and Fourth Normal Form
- Join Dependencies and Fifth Normal Form
- Other Dependencies and Normal Forms



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